

**Instructions:** This exam is in two parts: Part I is to be completed partly at home using the materials posted on Blackboard for Part I and you will answer questions about that work in class below; Part II is to be completed entirely in class. You may not use cell phones, and you may only access internet resources you are specifically directed to use. You may access your data file for Part I of the exam in Blackboard. You may access the data files posted to Blackboard for the Exam part II. Be sure you are using the data file that matches the exam version you are given.

Part I:

1. Use the information you calculated at home. Find a confidence interval for the mean from the students with undergraduate marketing majors. (8 points)

GMAT: (656, 770)  
 Salary: (40824, 65416)  
 Expenses (1141, 2131)

Debt: (6957, 52459)  
 Age: (28, 36)

Children: no interval  
 Sample has 0 st.dev.  
 Your answers will vary

answers will vary.

2. Use the information you calculated at home. Find a confidence interval for the difference of means for students age 26 vs. students aged 42 for their GMAT scores. Interpret the results of your interval. (15 points)

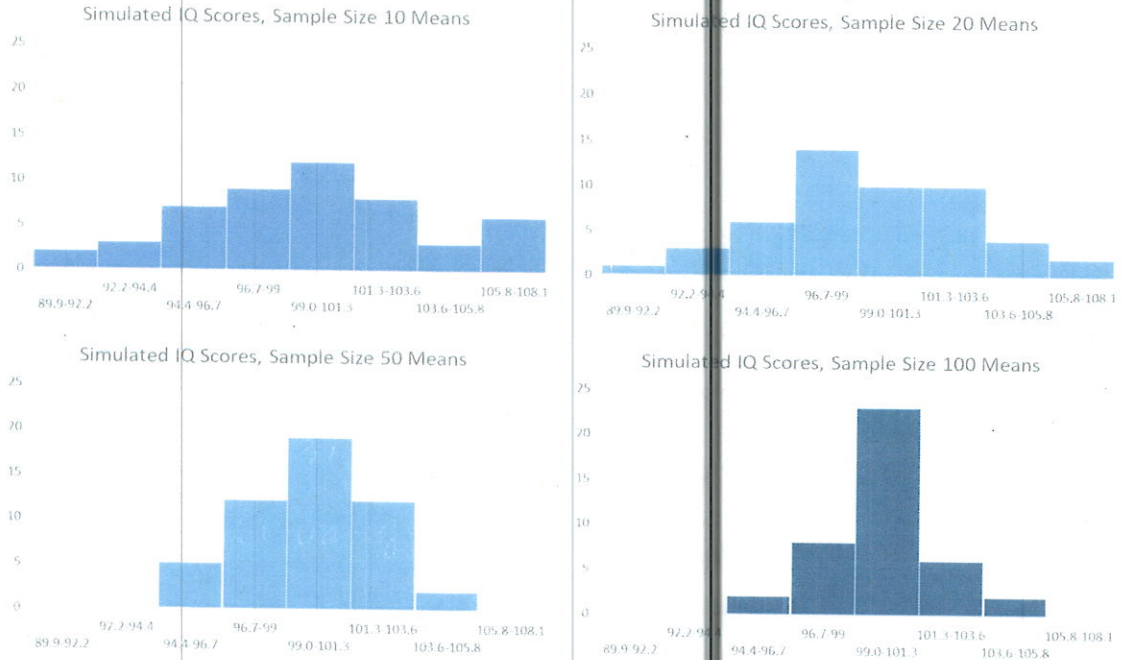
(-24.4, 80) We are 95% confident that the difference of means (of 26 & 42 year olds) is between -24 and +80 which is to say there is not enough evidence to tell there is any difference

3. Record your  $\chi^2$  test of independence here. Clearly state the hypothesis, all key test statistics and the P-value. Interpret the results of the test in context. (12 points)

$H_0$ : variables independent,  $H_a$ : variables dependent <sup>in GMAT scores</sup>  
 The  $\chi^2$  value is quite low and the p-value nearly 0.9, therefore we fail to reject the null, and conclude that national origin and marital status are independent.

Part II:

4. Fifty (50) simulated samples of IQ scores are taken with each of 4 different sample sizes. Histograms of the means of the simulated data for each sample size are shown below, along with a table of summary statistics. Use this information to answer the questions that follow.



	Mean	Standard Deviation
Sample Size 10	98.7	4.708
Sample Size 20	100.2	3.198
Sample Size 50	100.4	2.481
Sample Size 100	100.2	1.529
<b>Population</b>	<b>100</b>	<b>15</b>

- a. Describe what is happening to the histograms shown above as the sample sizes increase. (6 points)

*Spread is shrinking and becoming more symmetric.*

- b. The table shows the mean of the means from each sample size simulation, and the standard deviations of the means from 50 samples of each size. Calculate the standard error for a sample size of  $N=20$  using the population values shown in the table. How does the simulated standard deviation compare to the value obtained from the simulation? (10 points)

*very similar*

*pop st. dev = 15*

5. A 95% confidence interval for a population proportion is determined to be 0.64 to 0.75. If the confidence level is decreased to 90%, and everything else remains the same, in what way will the confidence interval change? (6 points)

it will get narrower

6. If the sample size increases and everything else remains the same, in what way will the confidence interval change? (6 points)

it will get narrower

7. Suppose that the alternative hypothesis is  $H_a: \mu \neq 45$ , is the hypothesis test one-tailed or two-tailed? (6 points)

two-tailed

8. Describe what a sampling frame is. (6 points)

it is the list of population members  
to be sampled

9. As the sample size increases, the  $t$ -distribution approaches what? (6 points)

the normal distribution

10. Suppose that a one-tailed test of a population proportion has a test-statistic of  $z = -2.84$ . Find the P-value. Use that information to determine whether the null hypothesis would be rejected at the 5% significance level. (10 points)

P-value = .002256 < 5%

reject  $H_0$